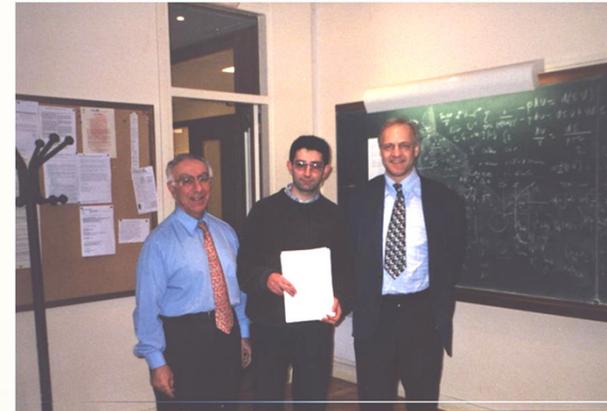


Walking on quantum foundations

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Emergent Quantum Mechanics 2015,
EmQM15, Vienna



Goal of the lecture

Thank the organizers

Round up the usual suspects:

Towards interpretations of QM

Ensemble interpretation of QM

Model of a Q measurement

Towards the measurement problem

EmQM: Stochastic Electrodynamics for the hydrogen atom

Neutrino mass from cluster lensing

Summary

Accidents along the road

To understand Nature
we have become accustomed
to inconceivable concepts ...

Our task is to demystify physics

Towards interpretations of QM

Working with postulates is a “black box” approach; can give partial answers

The only point of contact between reality (in the lab) and Q theory
lies in Q measurements

Hence: *interpretation should be guided by realistic models for measurement*

*“To leave out the apparatus from theoretical considerations
is as bad*

as leaving it out in practice” (ABN 2013)

(Our) Ensemble interpretation

Density matrix $\hat{D} = \sum_i p_i |\psi_i\rangle\langle\psi_i|$ describes *our knowledge* about an *ensemble* of identically prepared systems
as in stat mech

Pure state $|\psi\rangle \mapsto \hat{D} = |\psi\rangle\langle\psi|$ is limiting case: purified *ensemble*

Ensemble can be **real** (many particles: bundle at LHC during one season.
a trapped ion in photon field, repeated excitation)
or **virtual (as in stat mech)** (e.g. universe)

QM = tool for making statistical statements from the density matrix

$$\langle \hat{A} \rangle = \langle \psi | \hat{A} | \psi \rangle \mapsto \text{tr}(\hat{D} \hat{A})$$

\Rightarrow QM = about what we can **measure**, not about **what is**
epistemology \Leftrightarrow **ontology**
Bohr Einstein

*Quantum measurement theory describes an ensemble of measurements
on an ensemble of systems*

The Apparatus

- *has a macroscopic pointer, so it is macroscopic itself*
- *is coupled to a thermal bath to dump energy in*
- *is a many particle quantum system => Q statistical physics*

- *Q measurement: system S interacting with apparatus A*

The model for a Q measurement

*The model to consider: “Curie-Weiss model for Q measurement”
S= spin 1/2, measure $s_z = \pm 1$*

A = M+B

*M = Ising magnet, starts as metastable paramagnet,
ends: magnetized, up or down*

B = thermal bath

Post-measurement state

$$\hat{\mathcal{D}}(t_f) = p_{\uparrow} |\uparrow\rangle\langle\uparrow| \otimes \hat{\mathcal{R}}_{\uparrow} + p_{\downarrow} |\downarrow\rangle\langle\downarrow| \otimes \hat{\mathcal{R}}_{\downarrow} = \sum_i p_i \hat{r}_i \otimes \hat{\mathcal{R}}_i$$

Tentative interpretation:

Magnet ends up in up/down ferromagnetic state

Sign of magnetization maximally correlated with sign of spin S

Prefactors satisfy Born rule $p_{\uparrow} = r_{\uparrow\uparrow}(0)$, $p_{\downarrow} = r_{\downarrow\downarrow}(0)$

Truncation: No Schrödinger cat terms $|\uparrow\rangle\langle\downarrow|$, $|\downarrow\rangle\langle\uparrow|$

physical disappearance: sums of many oscillating terms vanish

despite mathematical survival: individual terms have fixed amplitude

Result is *thermodynamical*: $\hat{\mathcal{R}}_i$ is generalized Gibbs state

Conserved quantities: Energy, s_z

The quantum measurement problem

we have to split the *full ensemble*

$$\hat{\mathcal{D}}(t_f) = p_{\uparrow} |\uparrow\rangle\langle\uparrow| \otimes \hat{\mathcal{R}}_{\uparrow} + p_{\downarrow} |\downarrow\rangle\langle\downarrow| \otimes \hat{\mathcal{R}}_{\downarrow}$$

into up-down *subensembles*. Classically trivial.

Quantum oddity: mixed states have infinity of decompositions, eg

$$\begin{pmatrix} 1 & 0 \\ 0 & 1 \end{pmatrix} = |\uparrow\rangle\langle\uparrow| + |\downarrow\rangle\langle\downarrow| = |\rightarrow\rangle\langle\rightarrow| + |\leftarrow\rangle\langle\leftarrow| = \dots$$

We can not interpret $\hat{\mathcal{D}}(t_f)$ in terms of up/down subensembles

Can the splitting of $\hat{\mathcal{D}}(t_f)$ nevertheless become unique?

New mechanism: ongoing dynamics in the *macroscopic* apparatus

The quantum measurement problem (2)

Final density matrix for *full ensemble* has **thermodynamic** form

$$\hat{\mathcal{D}}(t_f) = \sum_i p_i \hat{r}_i \otimes \hat{\mathcal{R}}_i$$

But do arbitrary *subensembles* finally have this form,

$$\hat{\mathcal{D}}_{\text{sub}}^{(k)}(t_f) = \sum_i q_i^{(k)} \hat{r}_i \otimes \hat{\mathcal{R}}_i$$

with $0 \leq q_i^{(k)} \leq 1$???

Subensembles: same dynamics, unknown initial conditions

Subensemble relaxation due to small flip-flop terms in H

Assume *weak additional terms* in H_M with *flip-flops*, conserving m

At t large enough, so that registration will be established, cut coupling S-A.
Ongoing dynamics inside apparatus A.

Go to microcanonical ensemble, keep only states $m = \pm m_F$

Consider at a time $t'_f < t_f$
any decomposition $\hat{D} = \mu \hat{D}_{\text{dec}}^{(1)} + (1 - \mu) \hat{D}_{\text{dec}}^{(2)} \quad 0 < \mu < 1$

Ongoing dynamics indeed leads to
generalized Gibbs state for each term $\hat{D}_{\text{dec}}^{(k)}(t_f) = \sum_i q_i^{(k)} \hat{r}_i \otimes \hat{\mathcal{R}}_i$

Mechanisms: 1) Random matrix theory

ABN 2013, 2015

2) Collisional relaxation: repetitions of them

This new physical effect must be part of our interpretation of QM

Only now: Postulates to connect to individual events as weak as possible, dealing with apparatus A only

In $\hat{\mathcal{D}}_{\text{dec}}^{(k)}(t_f) = \sum_i q_i^{(k)} \hat{r}_i \otimes \hat{\mathbb{R}}_e$ $q_i^{(k)}$ represent probabilities for pointer indications

*Born rule understood as **statement about pointer values**, for ideal measurements fully correlated with quantum variables.*

Also $q_i^{(k)} = 1$ occurs \Rightarrow **pure** subensembles exist, $q_i^{(k)} = \delta_{i,j_k}$

*For a **pure subensemble** all members give the same measurement outcome
Thus connection to **individual events**.
(**measurement problem** reduced to this weak hypothesis)*

In QM these postulates are needed.

If the theory of **EmQM** is known, they can be read off from it

EmQM: Stochastic Electrodynamics ??

Consider the hydrogen ground state

$$\ddot{\mathbf{r}} = -\frac{\mathbf{r}}{r^3} - \alpha^{3/2}\mathbf{E} + \frac{2}{3}\alpha^3\ddot{\mathbf{r}} \quad \text{Stochastic field + damping}$$

$$\mathcal{E} = \frac{1}{2}\dot{\mathbf{r}}^2 - \frac{1}{r}$$

$$\dot{\mathcal{E}} = -\alpha^{3/2}\dot{\mathbf{r}} \cdot \mathbf{E} + \frac{2}{3}\alpha^3\dot{\mathbf{r}} \cdot \ddot{\mathbf{r}}$$

Hal E Puthoff, 1987: *Ground state of hydrogen as a zero-point-fluctuation-determined state*

$$\mathcal{E} = -\frac{1}{2}k^2$$

$$\langle \dot{\mathcal{E}} \rangle = \alpha^3 (k^9 - k^8) \quad \begin{array}{l} \text{circular orbits} \\ \text{Stabilization at large } k \text{ and at small } k \end{array}$$

Numerics: M. Liska
2014, 2015

Analytic tricks,
Simulation with
OpenCL using video cards



Curves from an
Ansatz for the
stationary state,
in agreement with QM
N 2005

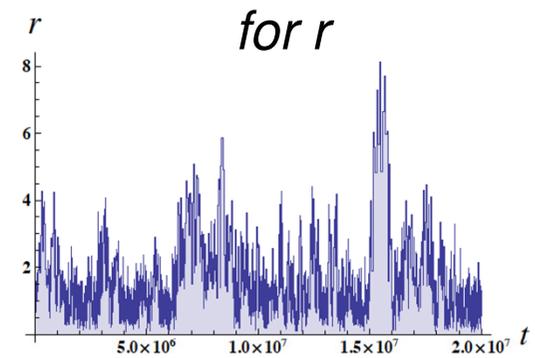
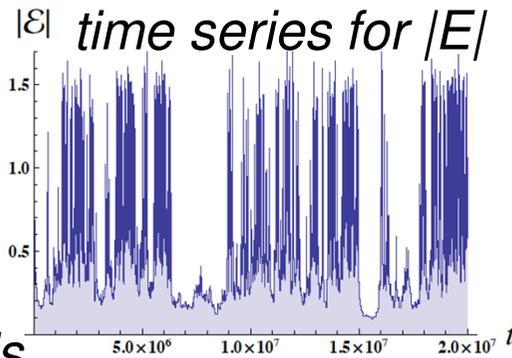


Fig. 3 a): Time series for the energy, in Bohr units. b): Time series for the radius.

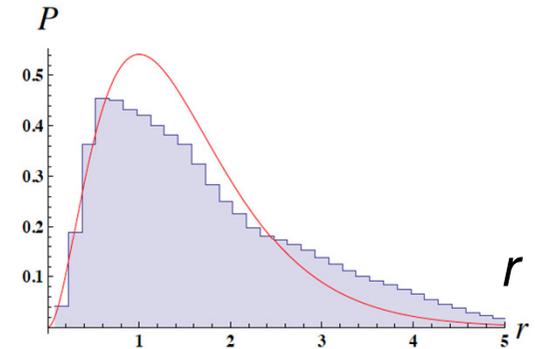
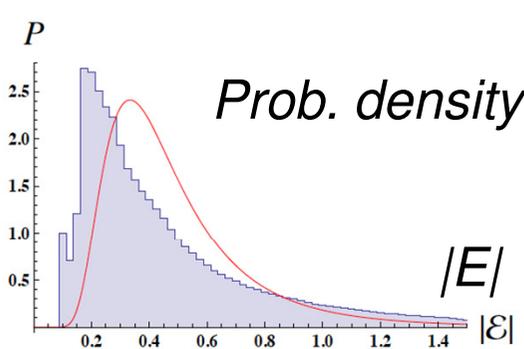


Fig. 4 a): Histogram for the energy data of Fig. 1a. The red curve is the conjecture. b): Histogram for the radius data of Fig. 1b. The red curve is the conjecture.

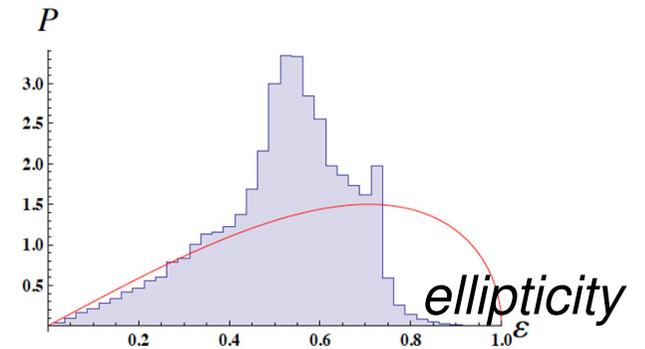
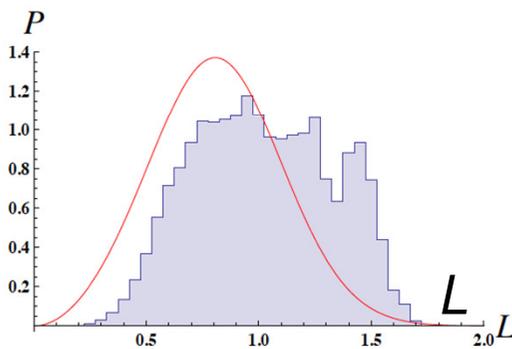


Fig. 5 a): Histogram for the angular momentum data. We see a clear discrepancy at lower L with the conjecture given in red. b): Histogram for the eccentricity data. We see a clear discrepancy at high ϵ with the conjecture given in red

Self-ionization occurs

*Per orbit
for $\mathcal{E} \rightarrow 0$*

$$\Delta \langle \mathcal{E} \rangle = \alpha^3 \frac{0.294 - L}{L^5}$$

Self ionization when for $\mathcal{E} \rightarrow 0$ orbit has $L < 0.294$

Relativistic corrections don't help (N+Liska 2015).

Is some physics overlooked, or the theory wrong ??

Cluster DM : Strong gravitational lensing

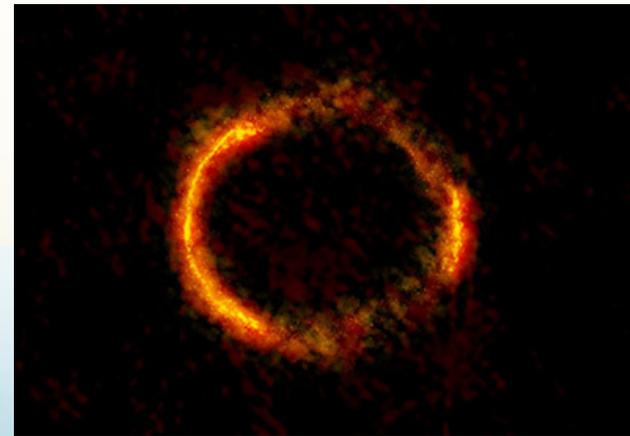
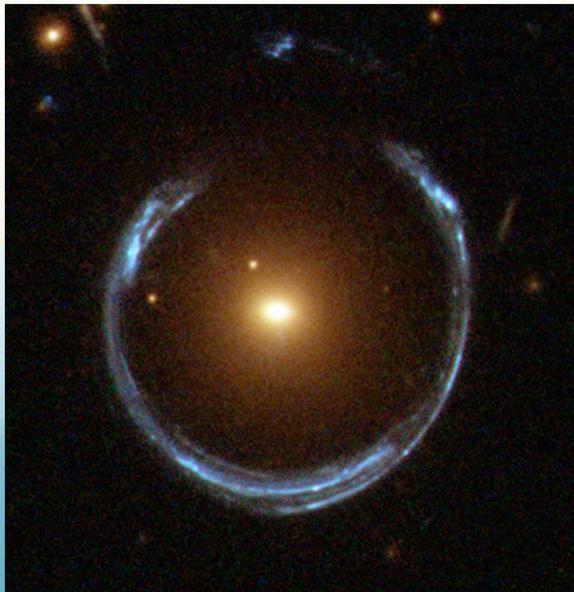
home



Mexico city



“Horse shoe” Einstein ring



ALMA infrared

Gravitational lensing in galaxy cluster

Abell 1689

Components:

Galaxies

X-ray gas

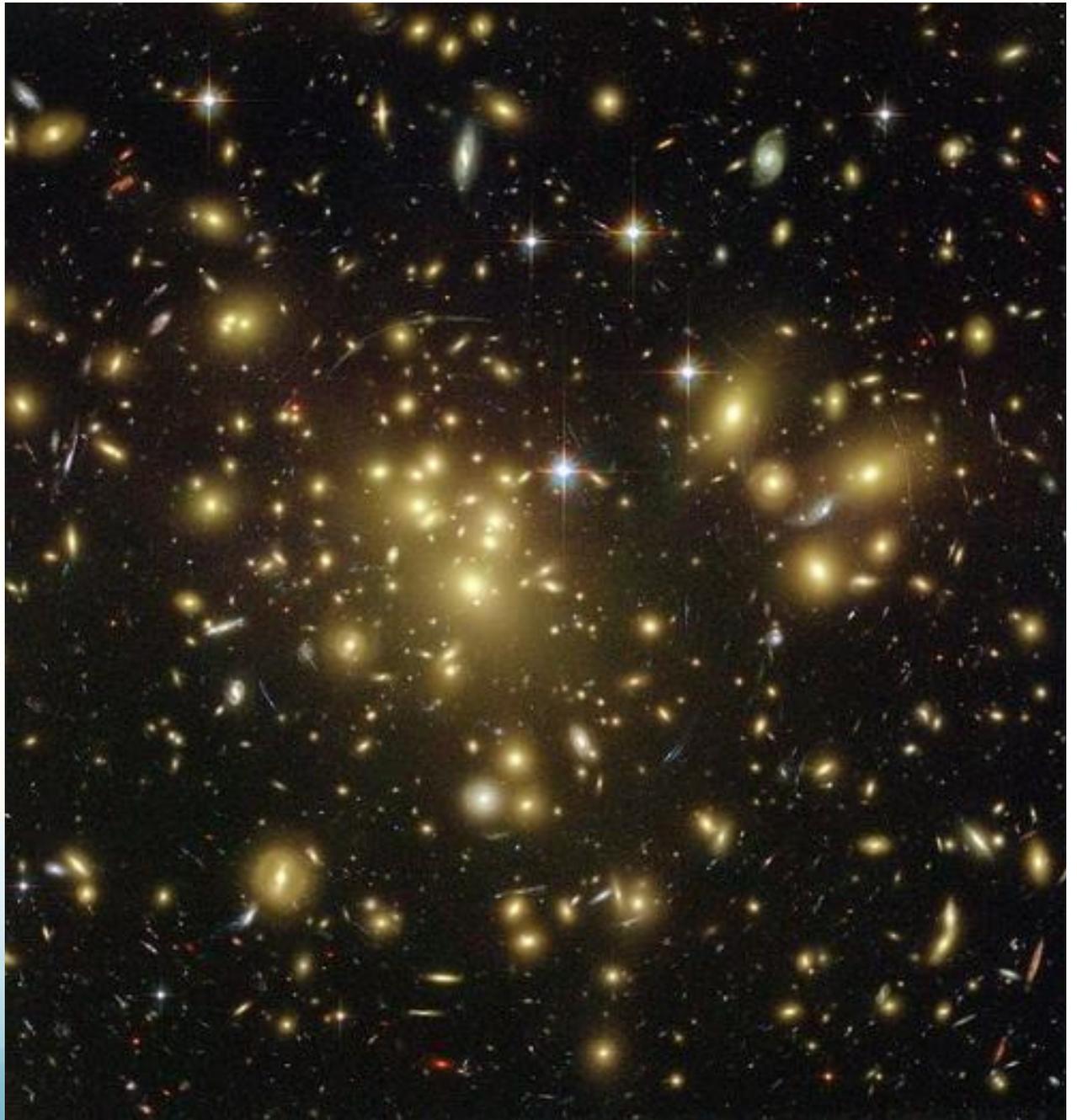
Dark matter

Lensing observation:

Lensing arcs:

Strong Lensing

Weak lensing



Gravitational lensing in galaxy cluster

Abell 1689

Components:

Galaxies

X-ray gas

Dark matter

Observations:

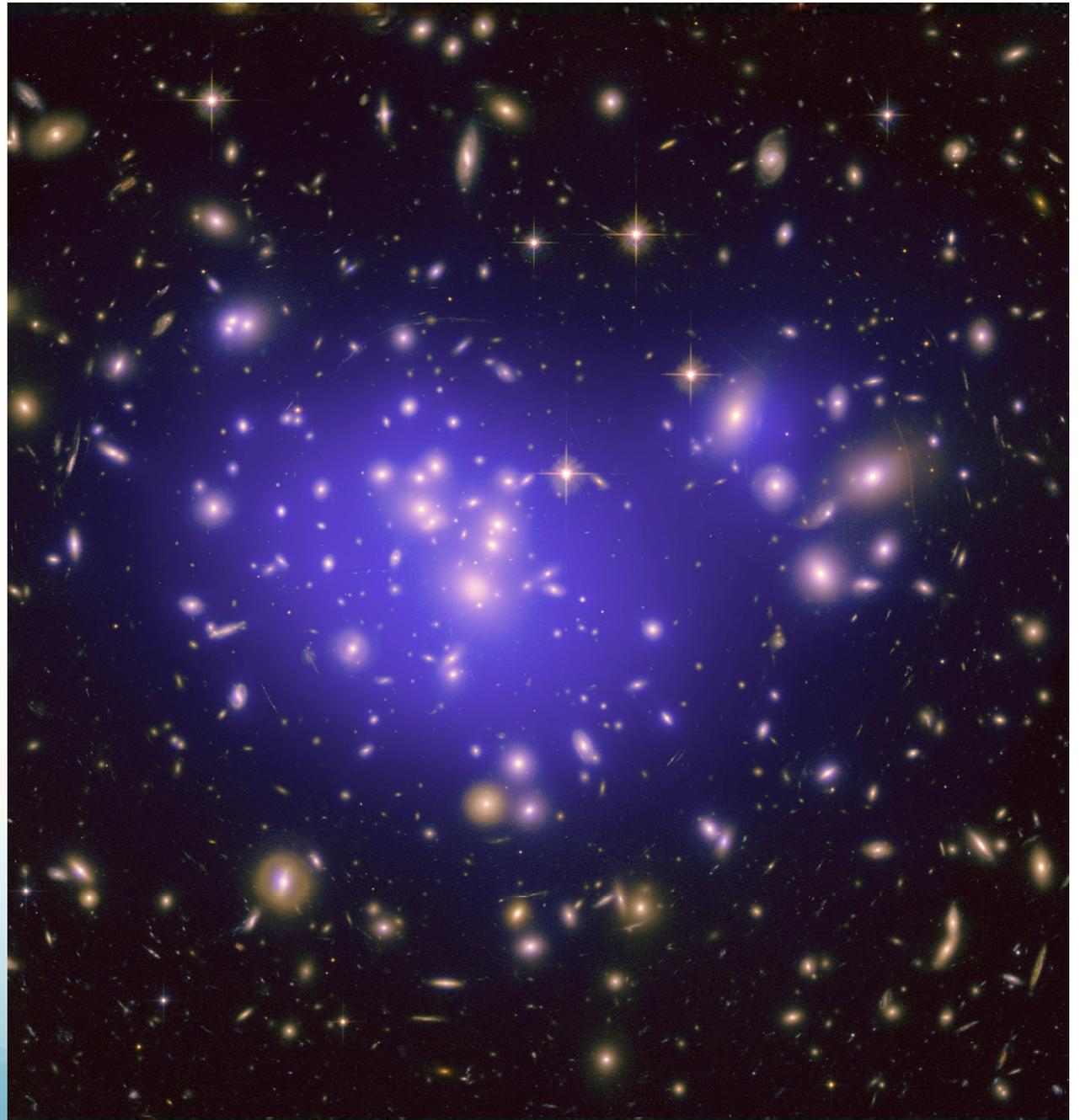
Galaxies

Lensing arcs:

Strong Lensing

X-ray gas

Weak lensing



Modeling for A1689

1) X-ray gas density: observations up to 1 Mpc => fit shape

2) Central galaxy: mass density model $\frac{M(R_i + R_o)}{2\pi^2(r^2 + R_i^2)(r^2 + R_o^2)}$

3) Dark matter: Fermi gas of neutrinos at low T
(quantum degenerate) in the gravitational potential $\varphi(r)$

$$\int \frac{d^3p}{(2\pi\hbar)^3} \frac{gm}{\exp\{[p^2/2m + m\varphi(r) - \mu]/T\} + 1}$$

$g = 6$ standard ("active") neutrinos $\nu_e \bar{\nu}_e, \nu_\mu \bar{\nu}_\mu, \nu_\tau \bar{\nu}_\tau$

$g = 12$ if also righthanded ν_i , lefthanded $\bar{\nu}_i$ exist

4) Solve Poisson eqn $\varphi''(r) + \frac{2}{r}\varphi'(r) = 4\pi G[\rho_\nu(r) + \rho_G(r) + \rho_g(r)]$

5) χ^2 fit of Strong & Weak Lensing data

Prediction for the neutrino mass and signature

Abell 1689: $m_\nu = 1.90^{+0.12}_{-0.15} \left(\frac{12}{g}\right)^{1/4} \frac{\text{eV}}{c^2}$

*If active and sterile ν have thermal occupation then
cosmic fraction: $\Omega_\nu h^2 = (g/12)^{3/4} (0.121 \pm 0.008) h_{70}^{1/2}$
Planck Cold Dark Matter $\Omega_c h^2 = 0.1188 \pm 0.0010$*

*$g = 12$ can explain all data: **3 active + 3 sterile neutrinos**
CMB data $\Rightarrow m = 1.861 \pm 0.014 (0.7/h)^2 \text{ eV}/c^2$*

*Neutrinoless double β decay: $m_{\beta\beta}^{0\nu} \geq 0.33 m_\nu = 0.61 \text{ eV}/c^2$
Experiments exclude this (not 5σ), hence “it does not occur”*

*But then **Dirac type**, not Majorana type: ν are chargeless e^\pm*

Summary

The measurement problem elucidated

QM is like Stat Mech: describes our best knowledge about ensembles

Measurement theory defined only in a given context (detectors, mirrors, ...)

Subensemble relaxation: decomposition into subensembles

also thermodynamic

Individual outcomes due to new mechanism and weak postulates

Frequency interpretation of Born probabilities for pointer indications

The Ensemble Interpretation is minimal. Why not teach it?

Hydrogen atom in Stochastic Electrodynamics is self-ionizing

Cluster lensing leads to neutrino mass of 1.9 eV; Dirac nature

In conflict with standard model of cosmology Λ -cold dark matter

KATRIN: test neutrino mass from tritium decay. Starts 2016-2017.

Accidents along the road



A macroscopic system can not be in a pure state

Schrödinger cat paradox: meaningless

Information paradox of macroscopic black holes: meaningless

Wavefunction of the Universe: meaningless

Pointer must be macroscopic and in mixed state

Measurement outcomes are only defined within a given context

(detectors, beam splitters, mirrors, ...)

Counterfactuals are meaningless.

Flaw: Bell inequalities combine different contexts => no say on local realism.

The contextuality loophole can not be closed. (EmQM-11)

Quantum probabilities ($|\psi_i|^2$, $q_i^{(k)}$) are not real probabilities, unless they can be connected to macroscopic pointer outcomes

Many worlds interpretation: over-interpretation

Nonlinear collapse models: over-interpretation; not needed

Connections to brains: over-interpretation

Schrödinger cats: **dead & alive = over-interpretation**

The wavefunction is epistemic

Majority view:
*Nature is nonlocal
and Bell is our prophet*
Physics is left in a psychiatric state

Minority view:
Nature is just local and Bell is a false prophet

CHSH: 2 detector locations at A, 2 at B => 4 different contexts

Different contexts can NOT be combined, Bell inequality can NOT be derived
This *contextuality loophole* is a theoretical problem, it **cannot be closed**

The only conclusion is that QM works.
Not any implication on locality or realism.

N'11



Un(??)finished business: “*The*” interpretation of QM

Copenhagen: measurements via Born and collapse postulate

Many worlds/relative state: no collapse; infinite branching

Wigner’s friend/mind-body: observation finishes the measurement

Decoherence: the environment does it all

Bohmian mechanics: Bohm particles and their guiding field

Nonlinear collapse models: QM should be extended in nonlinear way

Consistent histories: doing away with measurements

Modal interpretation

Real ensemble: elsewhere in the Universe the same events happen

Gravitation is needed to understand collapse

Why not teach the Ensemble Interpretation ??

Quantum Mechanics is a theory

that describes
the statistics
of outcomes
of experiments

*It cannot and should not describe individual experiments
(otherwise than in a probabilistic sense)*